

Why seismograms are so important?

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地震学 の目的

- 震源メカニズム から 予知? (非線形物理)
Why? What? → Where? When? How?
Japan, China, Italy and USA
- 波を用いて, 地球内部構造を調べる (波の物理学)
- → Global Seismology
Europe

Andrija Mohorovičić

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From Wikipedia, the free encyclopedia

Andrija Mohorovičić (23 January 1857 – 18 December 1936) was a Croatian^[1] [geophysicist](#). He is best known for the eponymous [Mohorovičić discontinuity](#) and is considered one of the founders of modern [seismology](#).^{[2][3]}

Early years [edit]



The house in Volosko where Mohorovičić was born

Mohorovičić was born in [Volosko](#), [Opatija](#), where his father (also named Andrija), was a blacksmith, making anchors. The younger Andrija also loved the sea and married a captain's daughter, Silvija Vernić. They had four sons. Mohorovičić obtained his elementary education in his home town, then continued at the [gymnasium](#) of neighbouring [Rijeka](#). He received his higher education in mathematics and physics at the Faculty of Philosophy in [Prague](#) in 1875, where one of his professors was [Ernst Mach](#). At 15, Mohorovičić knew Italian, English and French. Later he learned German, [Latin](#), and [Ancient Greek](#).^[4]

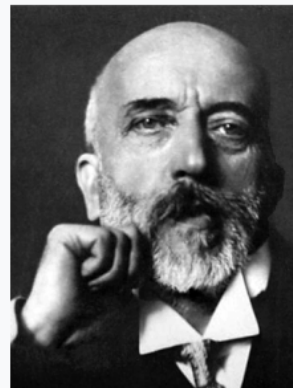
Career in education [edit]

He taught first at high school in [Zagreb](#) (1879–1880), then, secondary school in [Osijek](#). From 1881, he taught for nine years at the Royal Nautical School in [Bakar](#), near [Rijeka](#). Work started or completed there was important to his later scientific career. From 1893, when he became a corresponding member of the [Faculty of Philosophy](#), [University of Zagreb](#), to 1917–18 he taught in the fields of [geophysics](#) and [astronomy](#). In 1898 he became a full member of what was then the [Yugoslav Academy of Sciences and Arts](#) in Zagreb, where he was a private [docent](#). In 1910 he became a titular associate university professor.^[4]

Meteorology [edit]

In Bakar he was first exposed to [meteorology](#), which he taught at the Royal Nautical School. This

Andrija Mohorovičić



Portrait of Andrija Mohorovičić

Born 23 January 1857
[Opatija](#), [Austrian Littoral](#), [Austrian Empire](#)

Died 18 December 1936 (aged 79)
[Zagreb](#), [Sava Banovina](#), [Kingdom of Yugoslavia](#)

Known for [Eponym for the Mohorovičić discontinuity](#)



Appearance hide

Text

☐ Small

☒ Standard

☐ Large

Width

☒ Standard

☐ Wide

Color (beta)

☐ Automatic

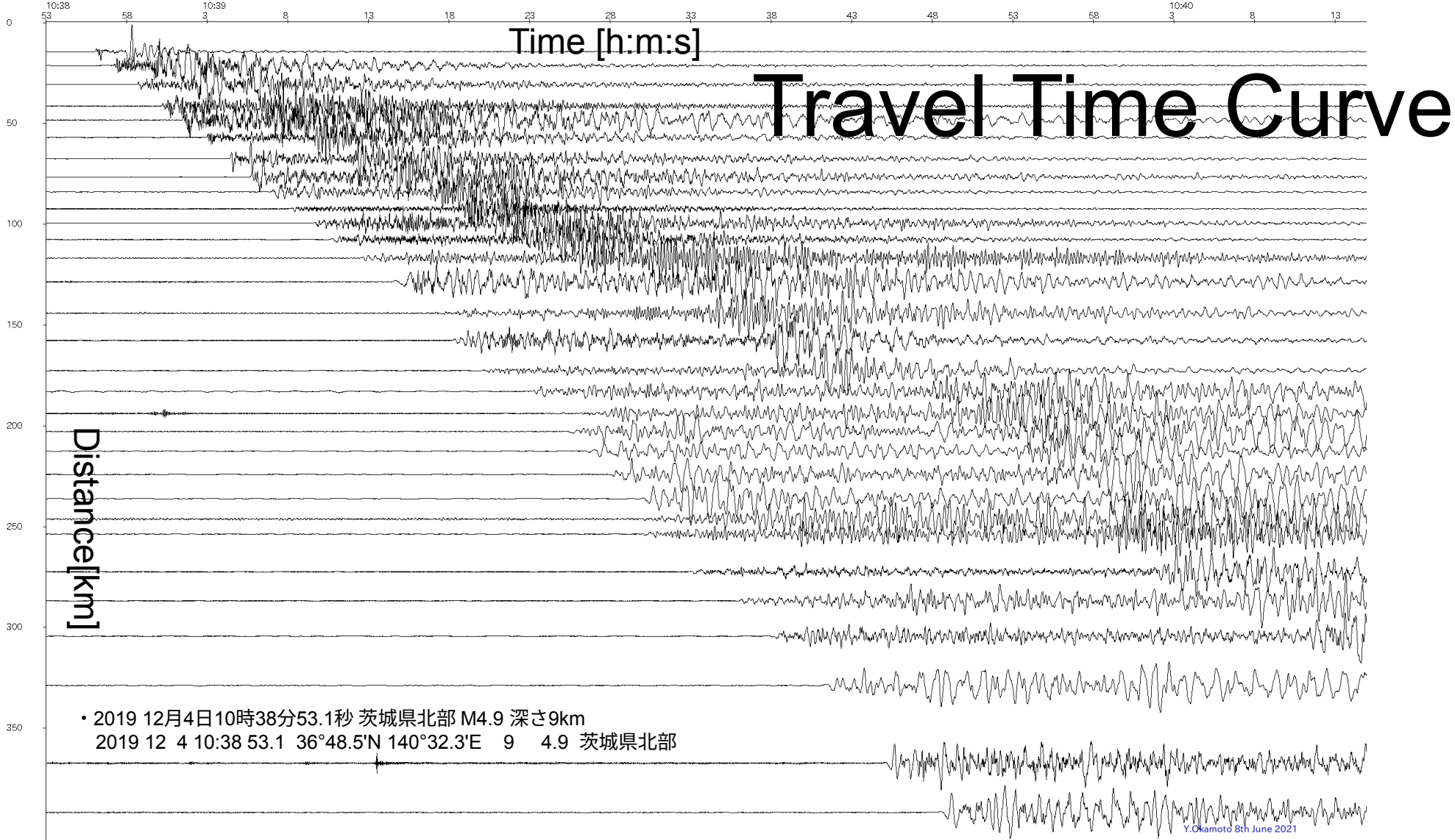
☒ Light

☐ Dark

Discovery of Moho Discontinuity



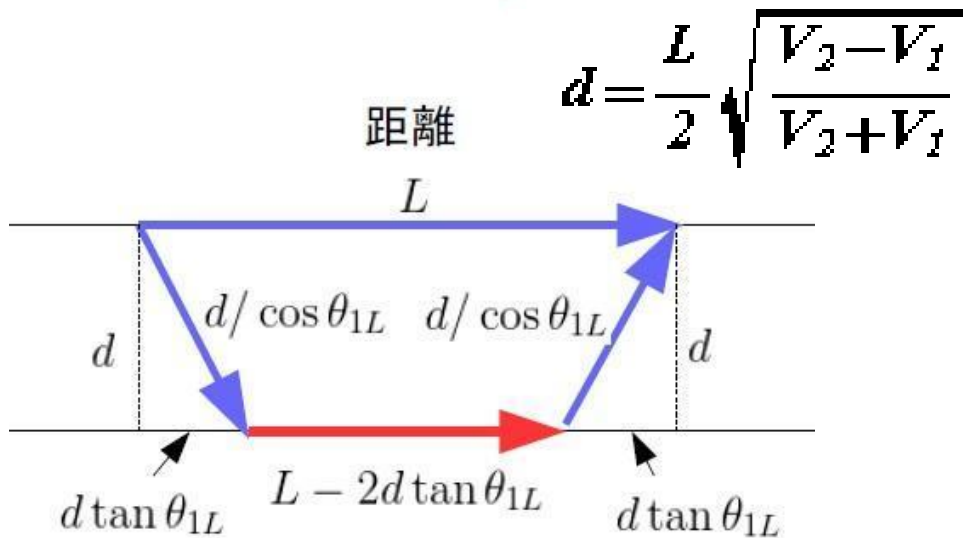
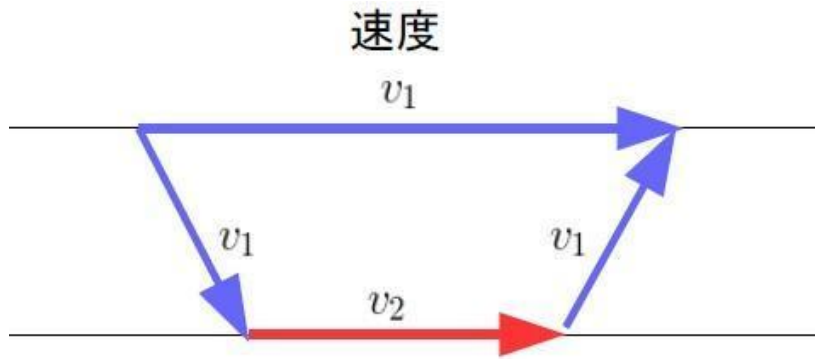
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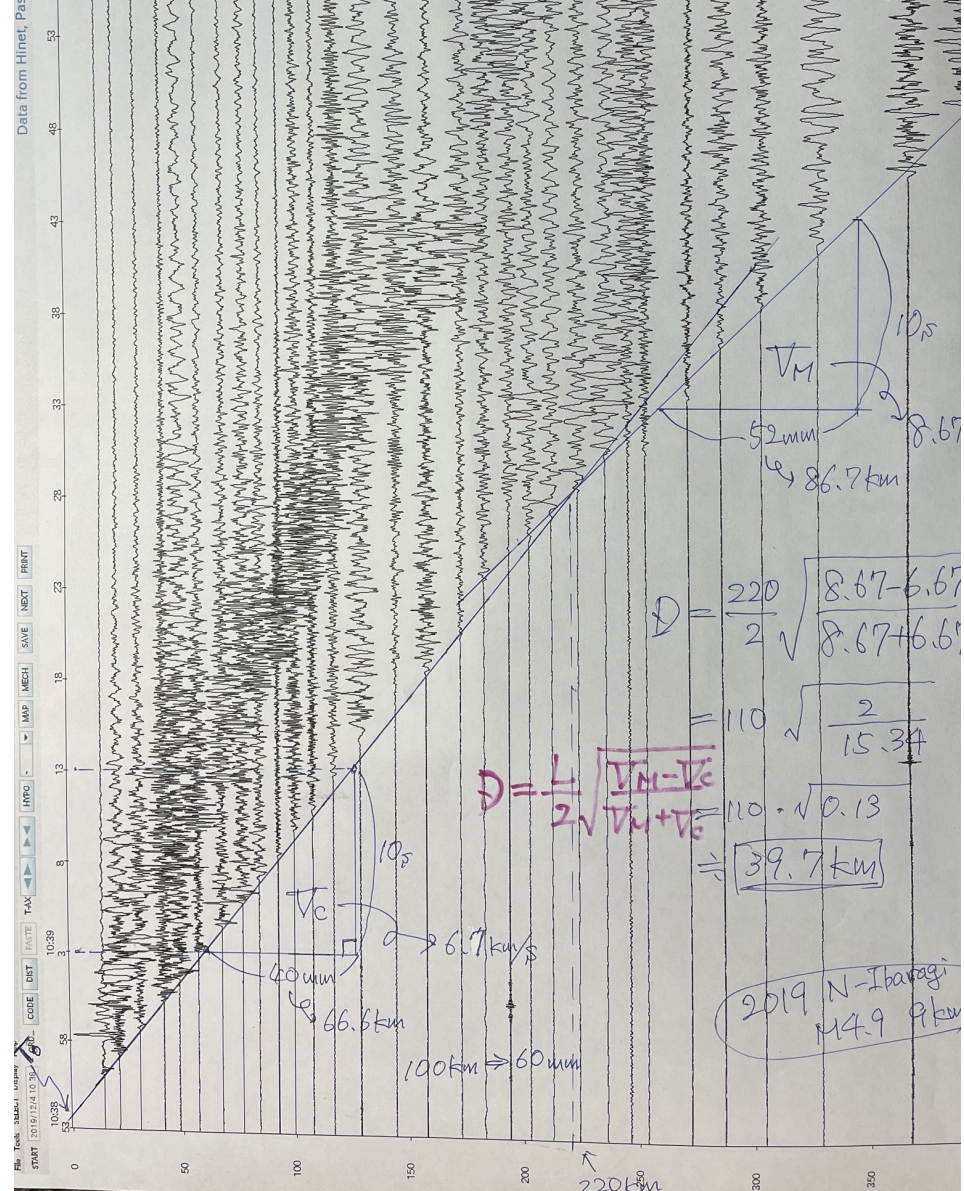
地殻とマントルの2層構造

震源から遠くなるとMoho面を通る波が早くつく





https://tnakabou.seesaa.net/article/201408article_17.html



Volume 67, Number 4 **Real Travel Times** July/August 1996

Real Travel-Times

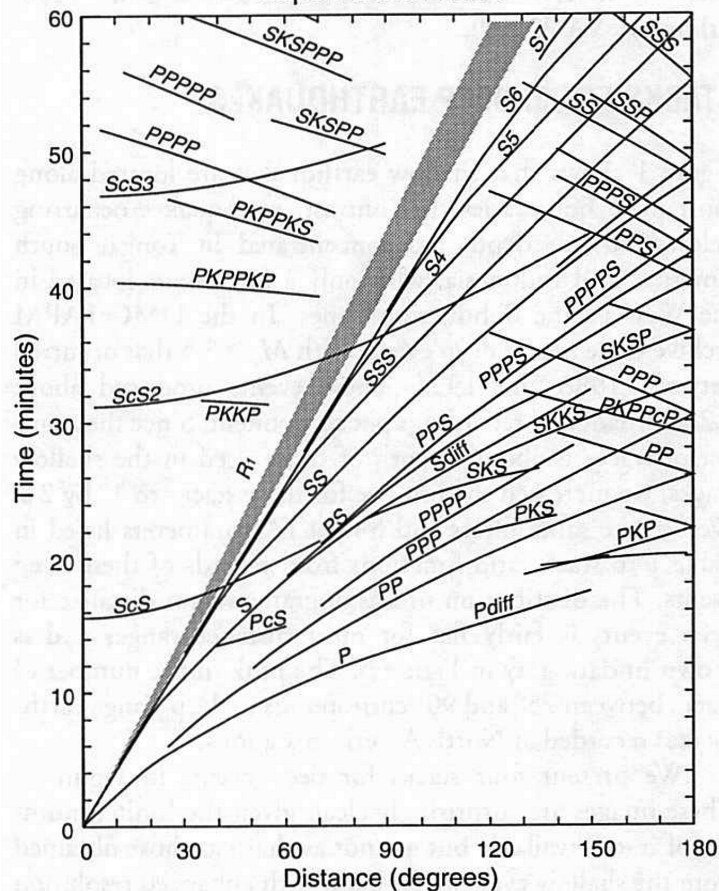


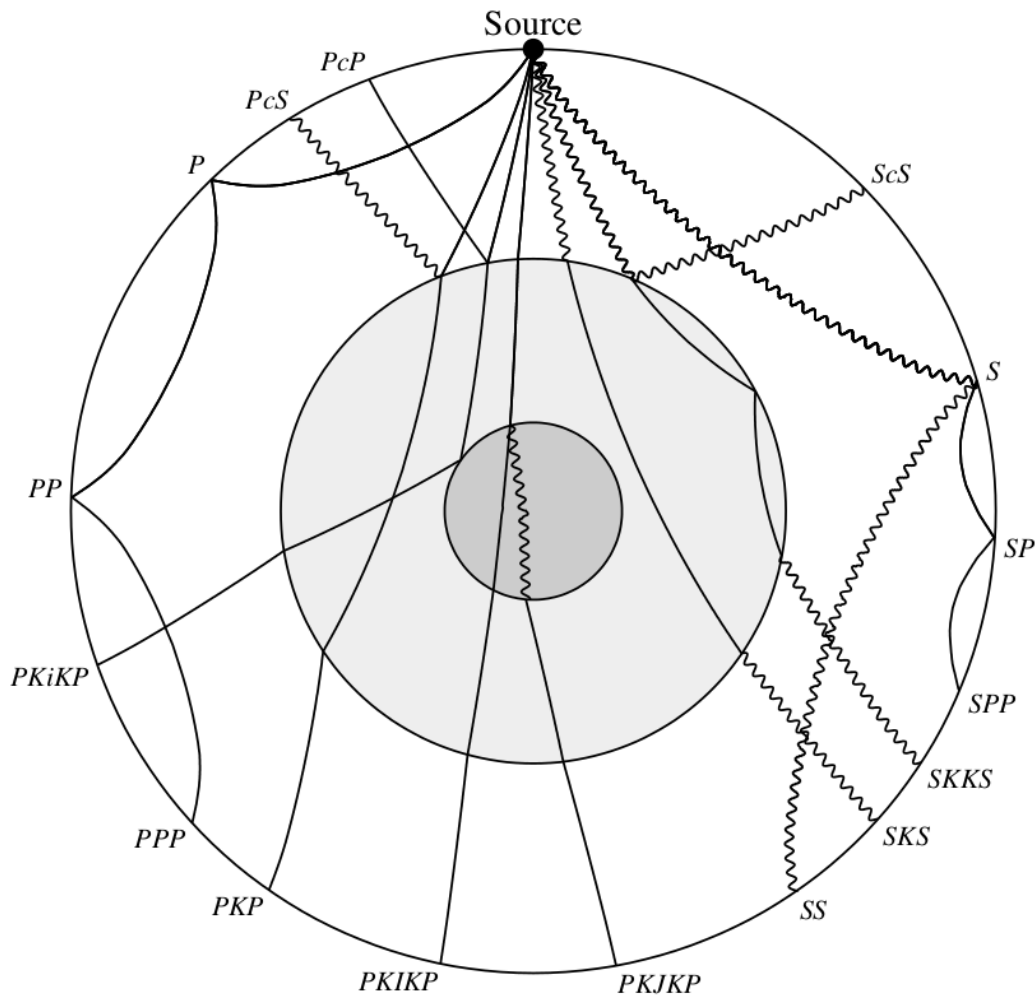
Seismological Research Letters, Vol. 67, No. 4, p. 14,

x005F x0002 1996:

Theoretical Travel-Times

lasp91 travel times





Introduction to Seismology
By P. Shearer, 1999

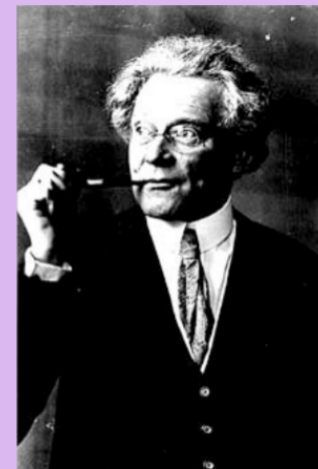
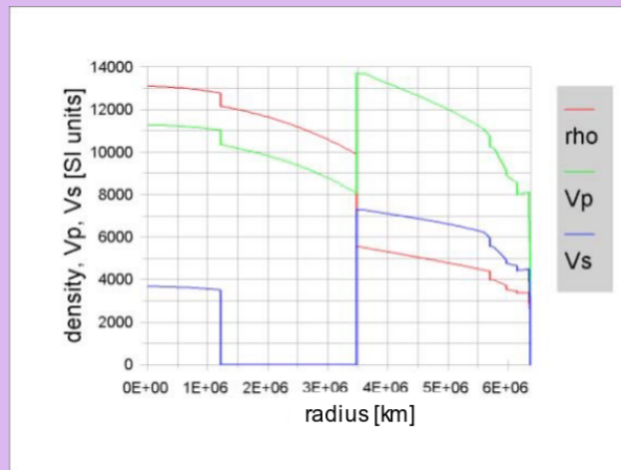
Figure 4.15 Global seismic ray paths and phase names, computed for the PREM velocity model. *P* waves are shown as solid lines, *S* waves as wiggly lines. The different shades indicate the inner core, the outer core, and the mantle.

LECTURE 7 - Wiechert-Herglotz inversion for 1D velocity structure of the Earth

Hrvoje Tkalčić



Emil Wiechert



Gustav Herglotz

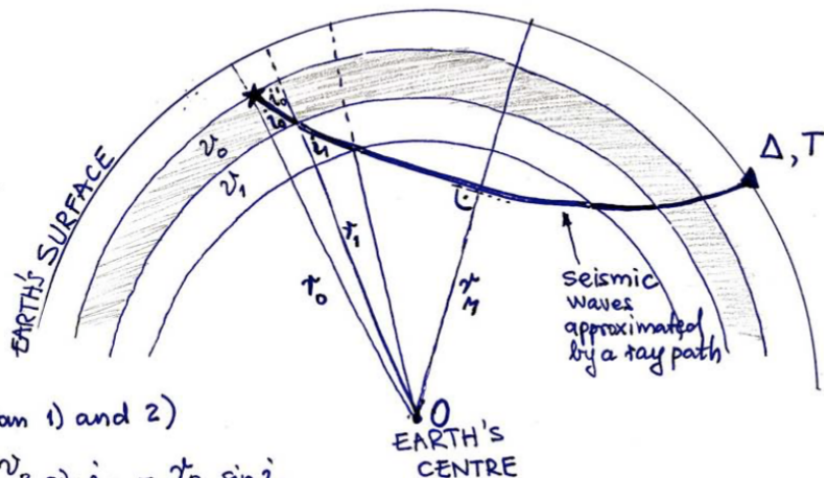
*** *N.B. The material presented in these lectures is from the principal textbooks, other books on similar subject, the research and lectures of my colleagues from various universities around the world, my own research, and finally, numerous web sites. I am grateful for some figures I used in this lecture to L. Braille. I am thankful to many others who make their research and teaching material available online; sometimes even a single figure or an idea about how to present a subject is a valuable resource. Please note that this PowerPoint presentation is not a complete lecture; it is most likely accompanied by an in-class presentation of main mathematical concepts (on transparencies or blackboard).* ***

https://geo.mff.cuni.cz/~cm/stavba/Wiechert_Herglotz.pdf

Ray geometry: ray parameter - from Lecture 6

LET'S CONSIDER THE FOLLOWING GEOMETRY OF A RAY PATH:

Laterally homogeneous Earth (radial symmetry or 1D)



Δ - epicentral distance

T - travel time

1) sinus rule

$$\frac{r_0}{r_1} = \frac{\sin(\pi - i_0')}{\sin i_0} = \frac{\sin i_0'}{\sin i_0}$$

2) Snell's law

$$\frac{v_0}{v_1} = \frac{\sin i_0'}{\sin i_1}$$

From 1) and 2)

$$\frac{v_0}{v_1} \sin i_1 = \frac{r_0}{r_1} \sin i_0$$

$$p = \frac{r_1}{v_1} \sin i_1 = \frac{r_0}{v_0} \sin i_0 = \frac{r_2}{v_2} \sin i_2 \dots$$

$$p = \frac{r}{v} \sin i$$

Ray parameter is constant along the path

$$\frac{r}{v} = \eta \Rightarrow p = \eta \sin i \Rightarrow p = \frac{r_M}{v_M}$$

r - ray radius

r_0 - Earth's radius

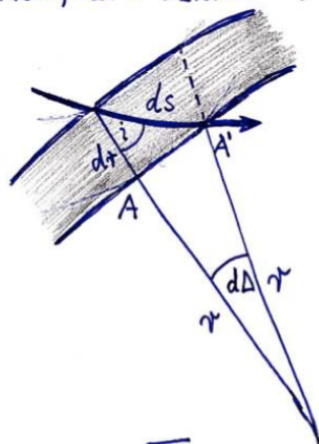
i - angle of incidence

r_M - radius of the deepest sampling point (bottoming point)

v_M - velocity at the bottoming point

Ray theory: travel time and epicentral distance

NOW, LET'S DERIVE T AND Δ USING THE RAY PARAMETER:



$$\tan i = -\frac{\overline{AA'}}{dr}$$

$$\overline{AA'} = -dr \cdot \tan i$$

$$\overline{AA'} = r d\Delta$$

$$r d\Delta = -dr \cdot \tan i$$

$$d\Delta = -\frac{dr \cdot \tan i}{r}$$

$$\Delta = 2 \int_{r_M}^{r_0} \frac{\tan i}{r} dr$$

$$\cos i = -\frac{dr}{ds}$$

$$ds = -\frac{dr}{\cos i}$$

$$v = \frac{ds}{dt}$$

$$dt = \frac{ds}{v} = -\frac{dr}{v \cos i}$$

$$\frac{T}{2} = \int_{r_0}^{r_M} -\frac{dr}{v \cos i}$$

$$\tan i = \frac{\sin i}{\cos i} = \frac{\sin i}{\sqrt{1 - \sin^2 i}}$$

$$\tan i = \frac{p}{\sqrt{1 - \frac{p^2}{\eta^2}}}$$

$$\tan i = \frac{p}{\eta \sqrt{1 - \frac{p^2}{\eta^2}}}$$

From $p = \eta \sin i$, where $\eta = \frac{r}{v}$

$$\sin i = \frac{p}{\eta}$$

$$\cos i = \sqrt{1 - \frac{p^2}{\eta^2}}$$

$$\frac{T}{2} = - \int_{r_0}^{r_M} \frac{dr}{v \cos i} = - \int_{r_0}^{r_M} \frac{\eta dr}{r \sqrt{1 - \frac{p^2}{\eta^2}}}$$

$$T = 2 \int_{r_M}^{r_0} \frac{\eta^2 dr}{r \sqrt{\eta^2 - p^2}}$$

TRAVEL TIME

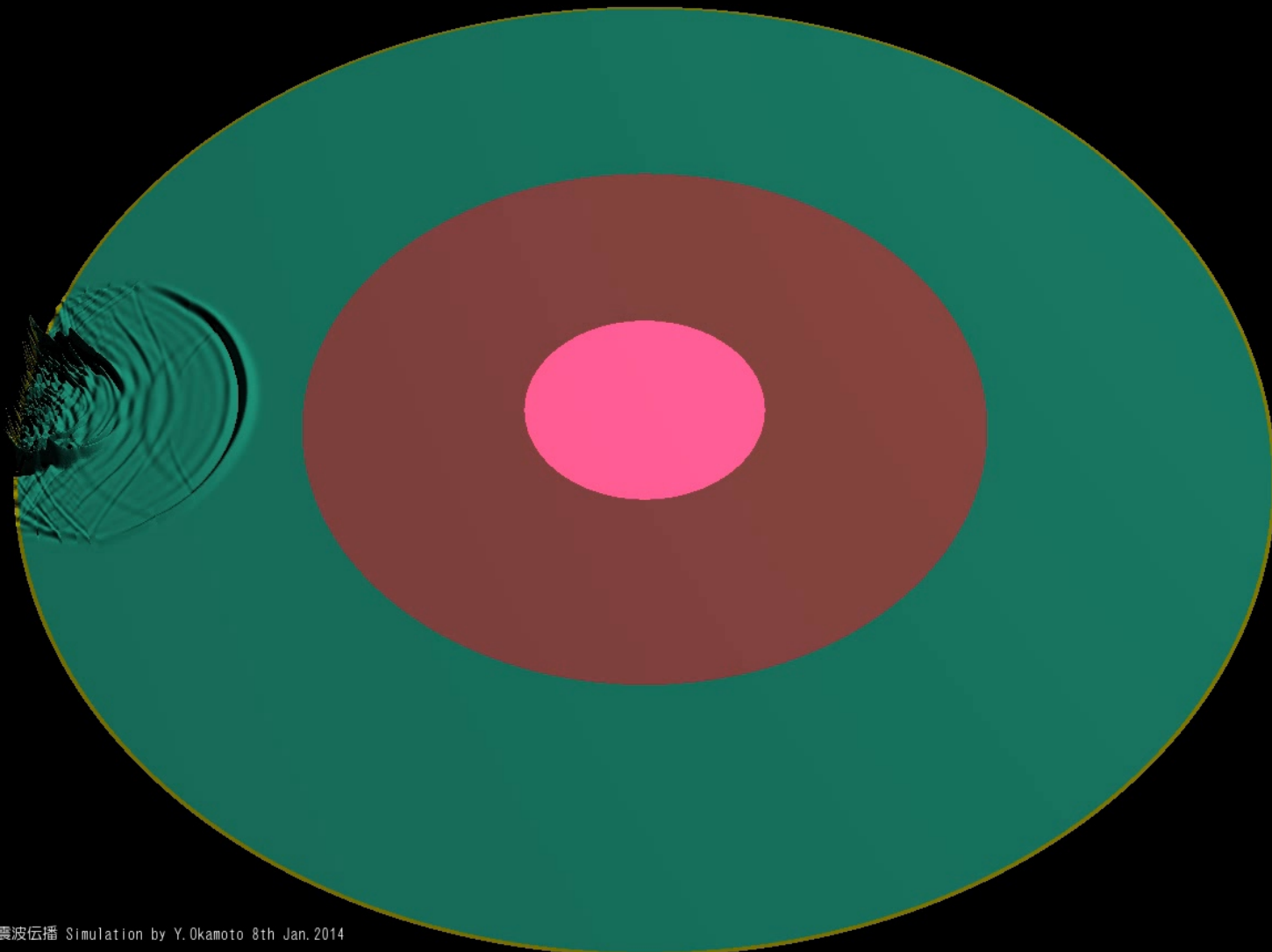
$$\Delta = 2 \int_{r_M}^{r_0} \frac{p}{r \sqrt{\eta^2 - p^2}} dr$$

EPICENTRAL DISTANCE

• Real-Theoretical Discordant

- Revise the previous velocity model
- JEFFREYS–BULLEN Standard Travel-Time curve (1967)
- PREM (Preliminary Reference Earth Model) by Dziewonski & Anderson (1981)
- IASP91 (International Association of Seismology and Physics of the Earth's Interior) by Kennett (1991)
- AK135 (Kennett et al., 1995)
- But these are one dimensional model. (Only depends on depth)

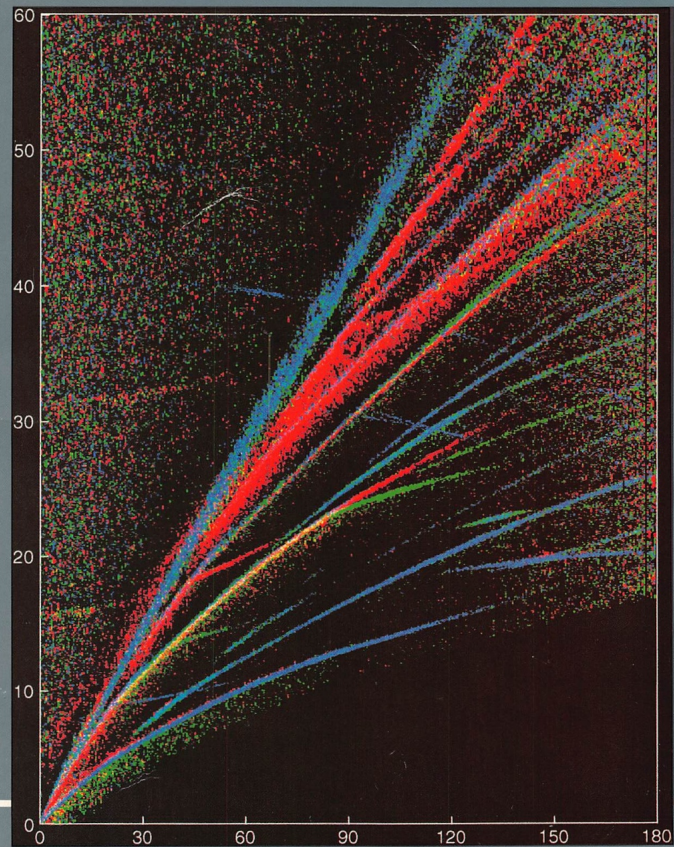
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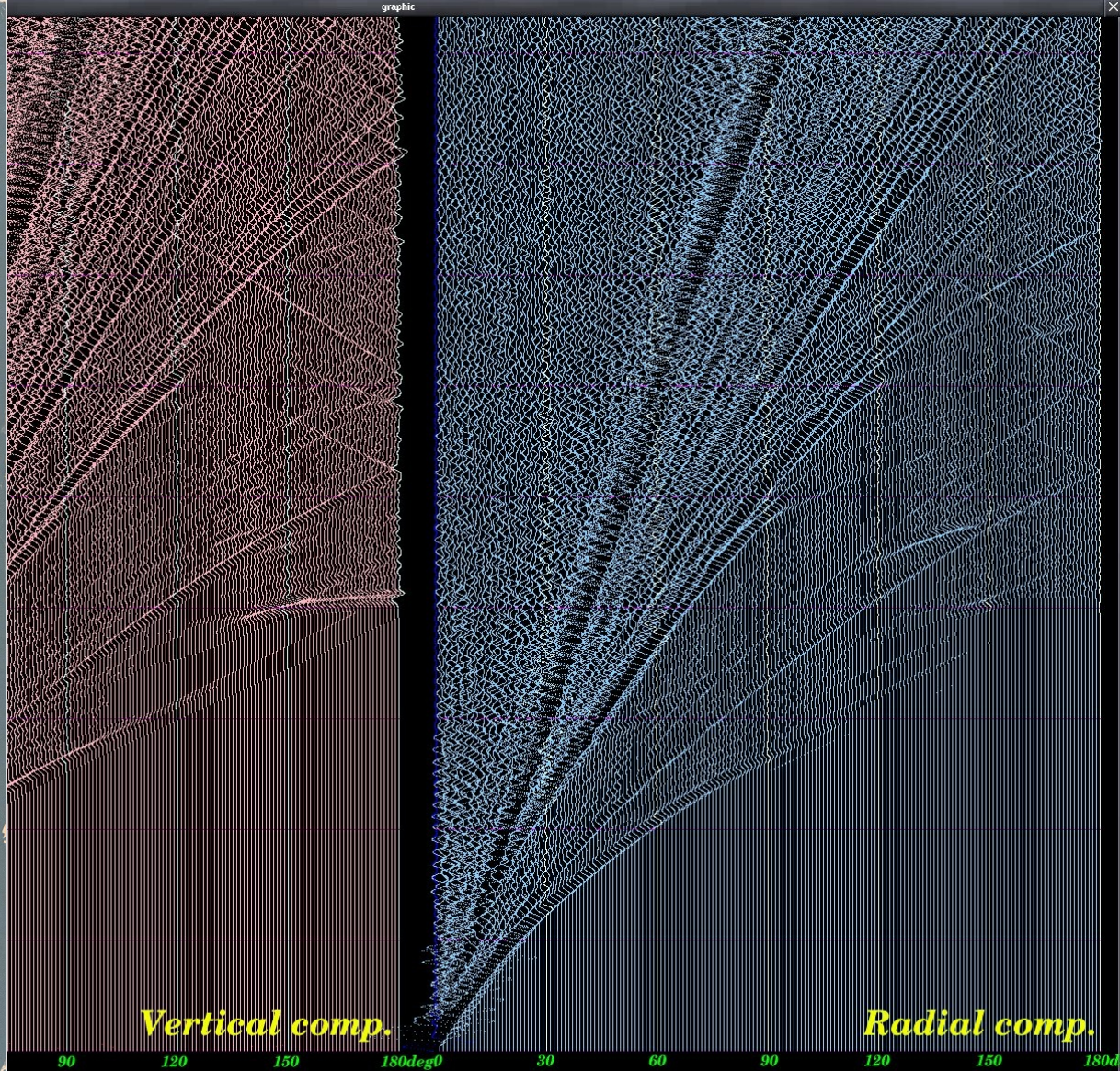
SEISMOLOGICAL RESEARCH LETTERS

Volume 67, Number 4

July/August 1996



SEISMOLOGICAL SOCIETY OF AMERICA

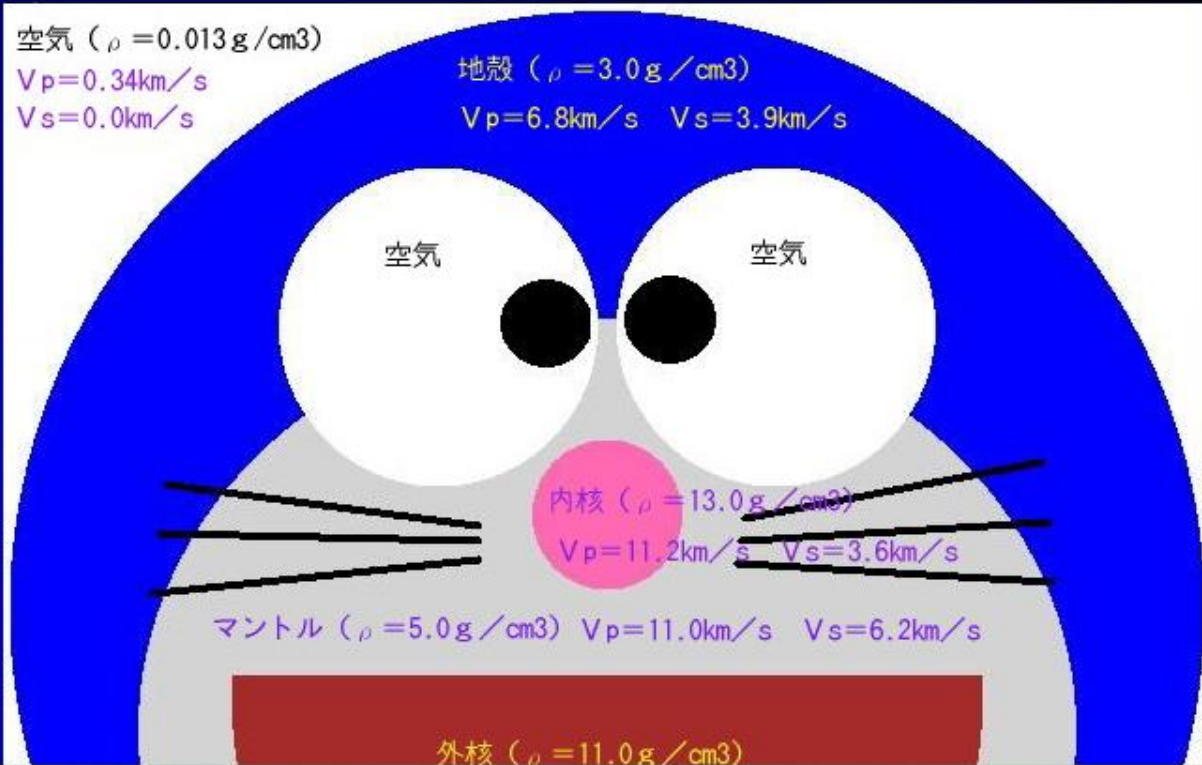


§6. 4 地震波伝播モデル(その3)

■ ”どらあーす”モデル

- 円, 楕円, 半円
- 地殻, マントル, 外核, 内核そして空洞

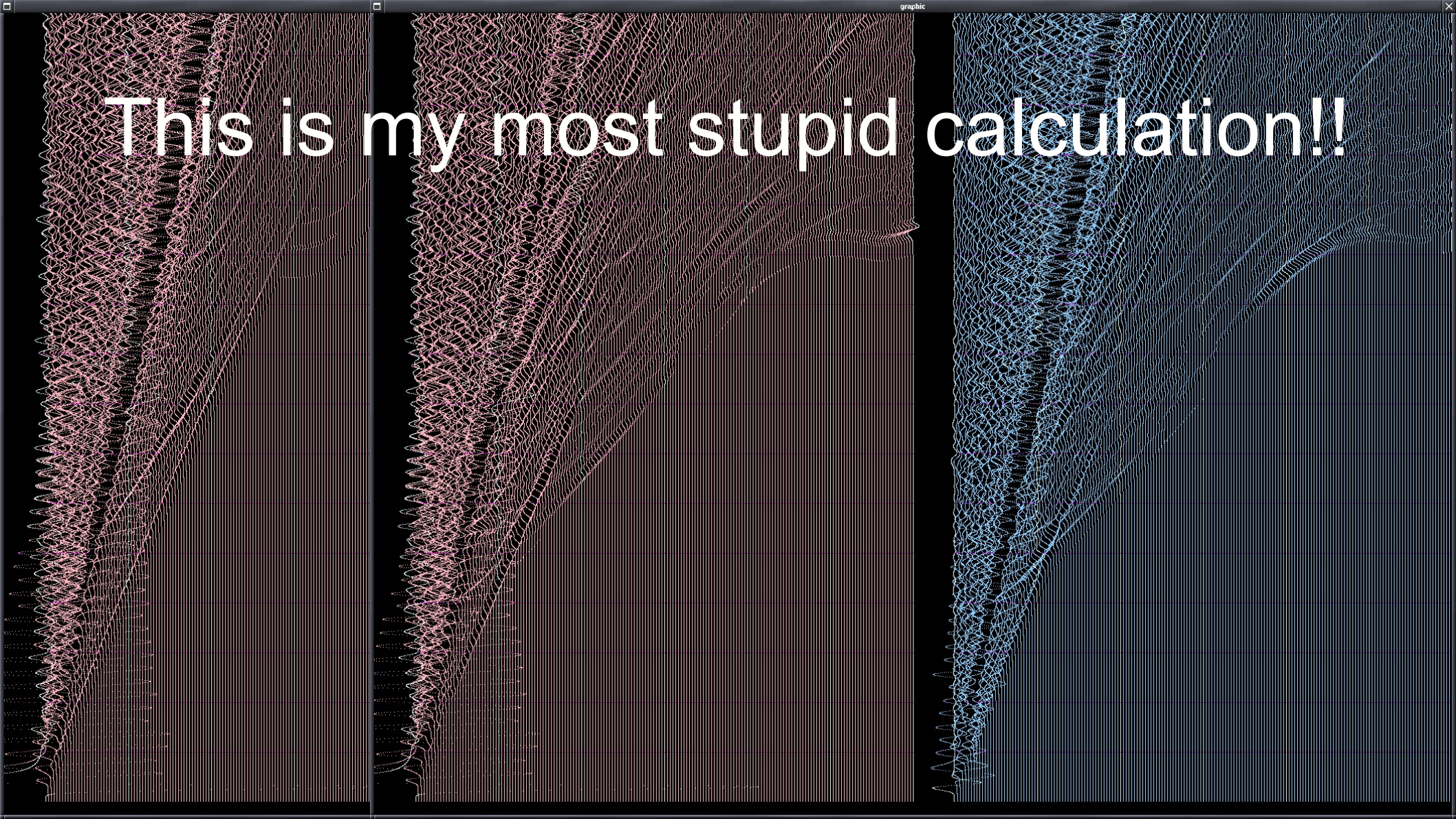
■ 動画と走時曲線

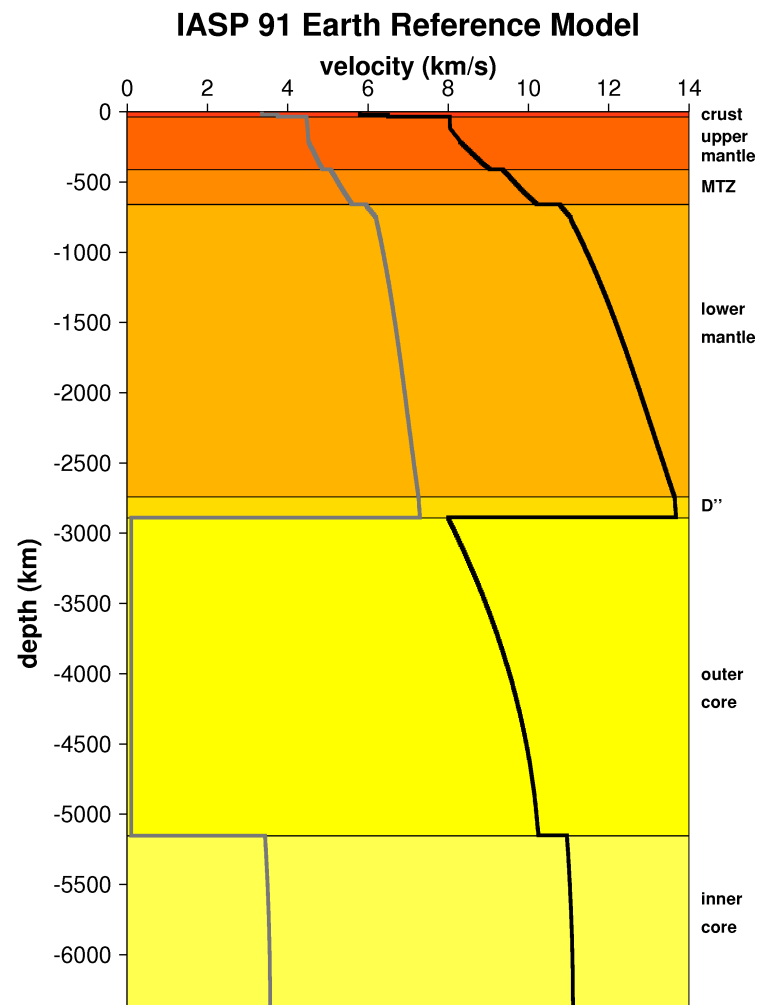
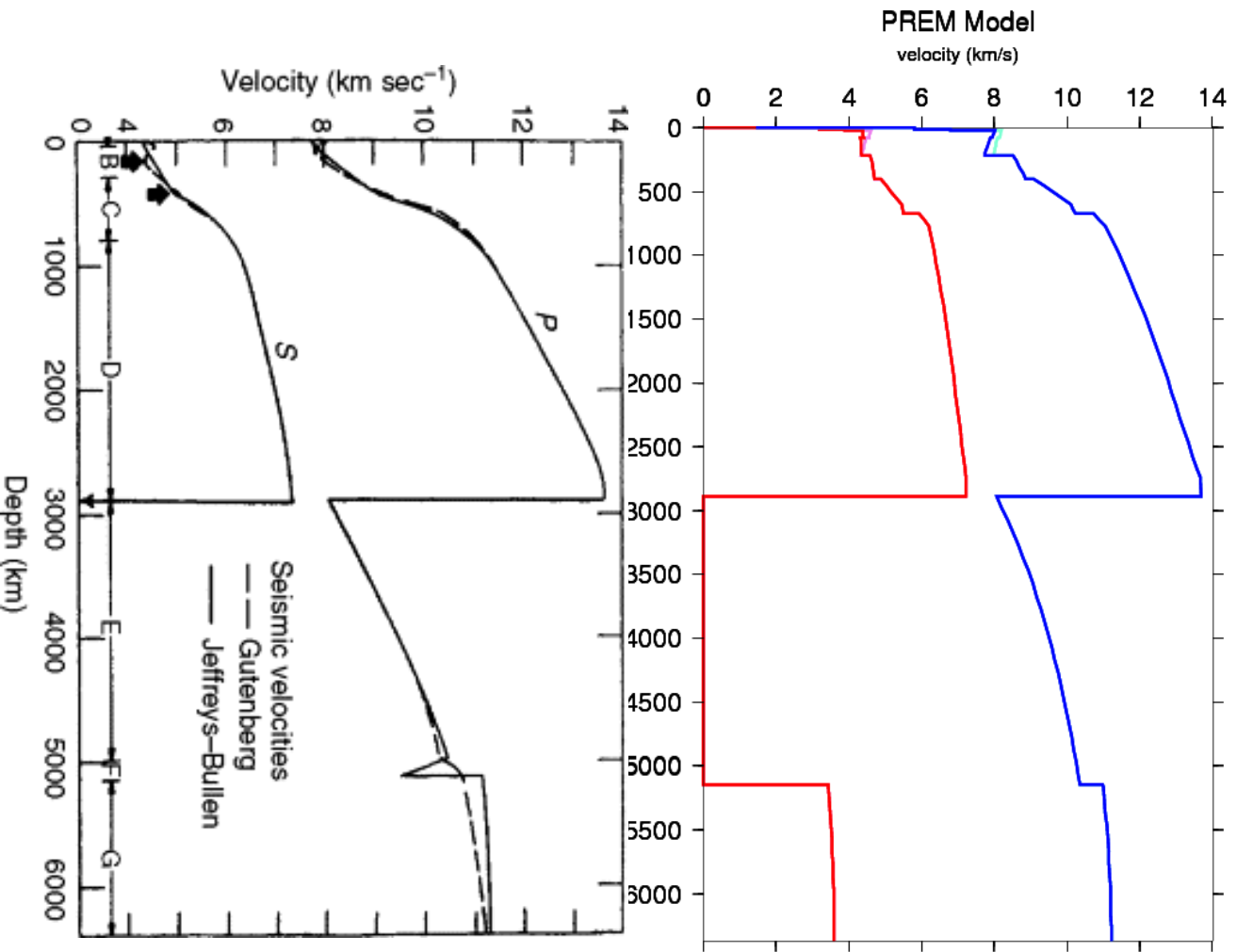


Draemon Earth!!



This is my most stupid calculation!!





— PREM (V_p, km/s), A. M. Dziewonski & D. L. Anderson, 1981, at (40.0, -120.0)

— PREM (V_p, km/s), A. M. Dziewonski & D. L. Anderson, 1981, at (40.0, -120.0)

iasp91, Kennet & Engdahl, 1991

Seismic Ray

Y.Okamoto 2022 Jan.

